# 7. On the Crustal Structure in North-East Japan by Explosion Seismic Observations.

By Takeo MATUZAWA,

Geophysical Institute, Faculty of Science, The University of Tôkyô. (Read Dec. 23, 1958.—Received Dec. 27, 1958.)

#### 1. Prefatory remarks

Several sets of seismic observations were made by our research group for explosion seismology on the occasions of large blasts in Northeast Japan. A summarizing report<sup>1)</sup> of the investigation of those observations was presented to the Rome Assembly of the I.U.G.G., 1954 under the title "Crustal structure in North-east Japan by explosion seismic observations". In that report broad aspects of our investigations were given but detailed discussions were omitted. In the present paper our precise discussions made in the course of our reductions will be given in order to furnish exact knowledge of the reliability of our results. We shall put forward our statements, referring to the Rome Assembly Report (later reference, R.A.R.). In R.A.R. the romanization of the name of places in Japan was sometimes confused, i.e. the Japanese system and the Hepburn system were mingled. In the present paper the Japanese system is adopted. The romanization of the personal name is of course left to the usage of each person.

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<sup>1)</sup> Research group for explosion seismology (Japan), Pub. Bureau Central Séism. Intern. Série A. Trav. Sci. Fasc., 19 (1954), 229-242.

In the Japanese system a circonflex is put on a vowel, which should be pronounced somewhat long, for example, Tôkyô in stead of Tokyo or Tokio in the Hepburn system.

Members of the group, who participated in this reduction and discussion, were, in the alphabetical order, T. Asada, S. Asano, N. Den, T. Kaneko, K. Kasahara, H. Kawasumi, N. Kobayashi, T. Matsumoto, T. Matuzawa, T. Mikumo, S. Miyamura, S. Murauti, A. Okada, S. Omote, E. Shima, S. Suyehiro, Z. Suzuki, A. Takagi, I. Tamaki and T. Usami. Voluminous and tedious reductions for the crustal structure were carried out for the most part by N. Den and Z. Suzuki.

Detailed descriptions of observation points, blasts, instruments, observers, etc. in English were reported in the following publications.

Blast Publication				
I. 1	Bull. Earthq. Res. Inst., 29 (1951), p. 97.			
I. 2	30 (1952), p. 279.			
I. 3	31 (1953), p. 281.			
K.1	32 (1954), p. 79.			
K.2	33 (1955), p. 693.			

# 2. Determination of the shot times of both the Isibuti 1 and Isibuti 2 blasts

In order to construct synthetical travel time curves from several sets of observations of blasts, it was necessary to know the accurate time of each blast, because each set had very few, if any, common observation points, and the precise position of each shot was not the same. At the first two Isibuti blasts the shot times were not marked on the seismogram. We determined them as follows.

The Data of travel times for I.1, I.2 and I.3 blasts are given in Table 1.

These values are plotted in Fig. 1.

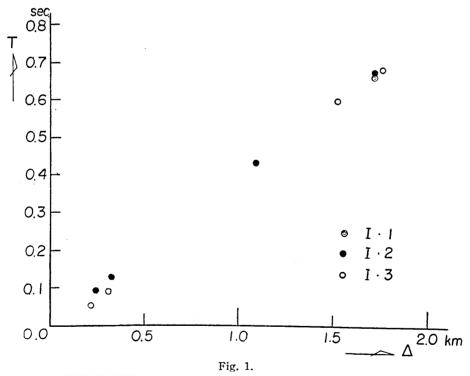
For I.3, putting  $T=a\Delta$ , we obtain by the method of least squares  $1/a(\text{velocity})=2.51\pm0.052 \text{ km/sec}$ .

For I.2, putting  $T=a\Delta+b$ , we get the same value of a and the shot time  $12^{h}05^{m}59.82^{s}$ .

For I.1, assuming the same value of a, we get  $12^{\text{h}}06^{\text{m}}07.64^{\text{s}}$  as the shot time, which is different by 0.33 sec from the value, deduced from remote observations. Of course this shot time should be adopted.

Table 1.

Blast	Station	Epicentral distance (km)	travel time (sec)	shot time
I.12)	Isibuti	1.69	0.67	12h06m07.97s deduced from arrival times within 4 km.
1.2	Tunnel 1	0.24	0.088	
	Tunnel 2	0.33	0.127	12h05m59.84s deduced from
	Orose	1.08	0.43	arrival times within 5 km.
	Isibuti	1.69	0.68	
1.3	Tunnel 1	0.22	0.05	
	Tunnel 2	0.31	0.09	12h04m59.42s. Shot time
	A	1.50	0.60	marked on the seismogram.
	В	1.73	0.69	



<sup>2)</sup> The longitude of the Isibuti shot point I.1 must be 140°53′37″E instead of 140°51′37″E printed in Table 1 in Report I.1.

# 3. The P-wave velocity in the uppermost layer near shot points

# (i) Near Isibuti shot points.

As stated in 2, the *P*-wave velocity in the uppermost layer near Isibuti shot points is 2.51 km/sec, because its intercept time is zero.

# (ii) Near Kamaisi shot points.

Travel times near shot points K.1 and K.2 were observed, and they are shown in Fig. 2 and tabulated in Table 2.

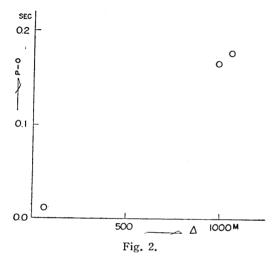


Table 2.

A in m 6.5 989 1055 P-O in sec 0.011 0.166 0.177

The error of the travel time in the observation is limited within 0.002~0.003 sec.

The accuracy of the epicentral distance  $\Delta$  did not match to that of the time measurement and was somewhat lower. Blast chambers were complicately located in

the mine, however, these were minutely shown in a map of the mine. Positions of the observation points were also determined on a map outside the mine. But a map connecting both maps was found somewhat inaccurate, and errors of a few tens of meters in the epicentral distance are liable to creep in.

From Fig. 2 the velocity of the P wave is calculated as  $6.0 \, \mathrm{km/sec}$  with practically zero intercept time, however, owing to the above stated uncertainty in  $\Delta$ , range of uncertainty about  $0.2 \, \mathrm{km/sec}$  in the velocity must be allowed.

At any rate, it is certain that near Kamaisi shot points a layer with P-wave velocity about  $6.0\,\mathrm{km/sec}$  is exposed practically to the surface.

#### 4. Synthetical travel times and their accuracy

Taking these precautions, synthetical travel times were obtained as tabulated in Table 3 and also given in R.A.R.

Table 3.

		Table			
Blast	Station	distance km	azimuth from N over E	T in sec	$T-\frac{\Delta}{6}$
	Is	ibuti South	(IS) profile		
I.3		2.70	182°	0.95	0.50
I.2	Hondera	15.3	166	2.96	0.41
I.3	"	<b>"</b>	<b>"</b>	3.02	0.47
I.2	Kurikoma	22.5	175	4.17	0.42
I.3	Hosokura	32.2	180	5.85	0.46
I.1	Hanaizumi	38.5	141	6.83	0.43
I.2	Kawatabi	41.9	196	7.61	0.63
1.3	"	"	"	7.59	0.61
I.1*	Matusima	81.4	169	14.59	1.02
I.2*	7	<b>"</b>	"	14.68	1.08
I.3	Nenosiroisi	87.8	185	15.24	0.61
I.1	Sendai	98.2	102	16.86	0.43
I.1*	Watari	119.4	180	20.03	0.14
I.3	Daiyama	148.8	197	25.07	0.27
I.2	Sinobu	159.9	194	26.75	0.10
I.3	Hatori	216.4	199	34.6	-1.47
I.3*	Motegi	290.7	193	44.50	-3.95
1.3	Tukuba	327.1	192	50.2	-4.32
	Is	ibuti West	(IW) profile		
1.3	Katurazawa	22.20	241	4.41	0.71
I.3	Yuzawa	33.77	280	6.31	0.68
I.3	Innai	45.98	262	8.56	0.90
I.3*	Mamurogawa	58.72	243	10.74	0.95
I.3	Sinasawa	89.99	238	16.04	1.04
	Is	sibuti East (	(IE) profile		
I.2	Umadome 1	4.31	69	1.36	0.64
I.2	Umadome 2	4.40	"	1.39	0.66
I.2	Atago	8.65	78	2.38	0.94
I.2	Dobasi	12.09	83	3.08	1.07
J.2	Wakayanagi	14.62	80	3.21	0.77
	"	15.06	"	3.16	0.65
I.1			_	4.11	0.59
I.1 I.2	Mizusawa	21.10	83	4.11	0.55
	Mizusawa Maesawa	21.10 $21.24$	83 110	4.11	0.39
I.2					

(to be continued)

Table 3.

(continued)

					<b>(</b>
Blast	Station	distance km	azimuth from N over E	travel time T in sec	$T-\frac{\Delta}{6}$
	Ka	amaisi South	(KS) profile		
K.2	Nakasone	11.1	203	2.03	0.18
K.1	Setamai	20.6	222	3.60	0.17
K.2	Sakari	23.8	182	4.08	0.11
K.1	Kesennuma	45.8	194	7.72	0.09
K.2	"	45.6	//	7.58	-0.02
K.2	Sizugawa	72.2	197	11.96	-0.07
K.1*	Onagawa	97.6	193	15.92	-0.25
K.2	"	97.4	"	16.03	-0.20
K.2	Mukaiyama	137.3	211	22.93	0.05
K.2	Hunaoka	159.6	209	26.00	-0.60
K.1*	Kaneyama	173.9	207	28.28	-0.70
K.2	"	173.6	"	28.13	-0.84
K.1	Kawamata	202.5	209	31.84	-1.94
K.2	7	202.4	"	31.82	-1.91
K.1	Siroisi	226.0	208	35.35	-2.32
K.2	"	225.9	″	35.31	-2.34
K.1	Nogisawa	261.2	206	39.09	-4.44
K.2	<i>m</i>	260.9	"	40.0	-3.48
K.2	Motegi	331.5	201	49.0	-6.25
	Ka	maisi West	(KW) profile		
K.2	Umanokiuti	4.82	263	0.90	0.10
K.1	Ide	37.1	248	6.39	0.21
K.1	Mizusawa	51.6	250	9.09	0.49
K.1*	Yuzawa	103.5	262	18.13	0.88
K.1	Mamurogawa	130.7	248	22.66	0.88

Data marked with an asterisk \* are those, which were corrected in this study and somewhat different from those in other reports.

#### 5. Accuracy of the data

The accuracy of a crustal structure deduced from the observed travel times depends on the accuracy of the data. Therefore, it is important to ensure the accuracy of the latter. Sources of time errors in the travel time are classified as follows:

- 1. Errors of identification of the commencement of the wave.
- 2. Errors of time measurements on the record.

#### 3. Irregularities due to the weathered layer.

As to (1), the identification was made by several persons independently, and readings were accepted only when satisfactory agreement was found. Errors of this category are expected to be very small, except for stations at very remote epicentral distances.

As to (2), the maximum error is expected not to exceed 0.1 sec. At most of the observation points, the running speed of the recording paper is 2~3 cm per second or more, and moreover second and minute marks are put directly from the JJY radio time signal. Therefore, the error of time measurement does not exceed 2 or 3 hundredths of a second. At stations very near to the shot point time marks of one hundredth of a second are put, so that accuracy of 2 or 3 thousandths of a second is secured. At some stations, where the JJY reception failed, the time was determined from chronometers, and the error is expected not to exceed 0.1 sec.

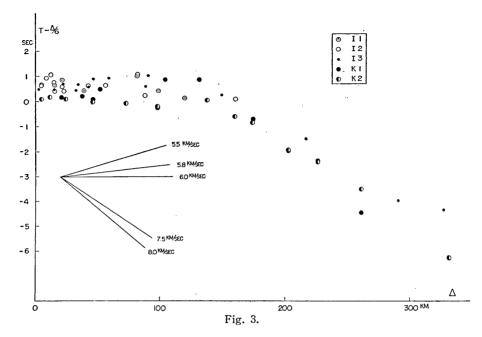
As to (3) this is not due to observations, however, it is very local, and in this paper it is treated as a sort of errors. A layer of 2.51 km/sec is accepted as the surface layer, and any local weathered layer other than this one comes under this category. Most observation points were selected in such a way that instruments could be put in caves of the bed rock. From the geological point of view and some trial computations, it was found that the error due to this factor cannot be more than 0.1 sec.

In the next place, the accuracy of the determination of the position of observation and shot points must come under consideration. In the present sets of observations, the positions were identified on the topographical map on a scale of 1/50000 issued by the Geographical Institute, Japan. Hence the error of the relative distance between a shot point and an observation point is expected not to exceed 100 m at most. Therefore, the accuracy of the space determination matches the time accuracy well.

Considering these factors, the total amount of the error is estimated to be less than 0.1 second. In other words, if a fluctuation in travel times exceeds 0.1 sec, the amount must be significant and taken into account in our study.

#### 6. General consideration to the travel time diagram

From the synthetical travel times in Table 3, a travel time diagram as shown in Fig. 3 is obtained.



Though the plotted points are confined within about 1 sec as far as 150 km, the scatter exceeds far beyond the limit of error already stated, i.e. 0.1 sec. If we classify the points according to the azimuth of the station relative to the shot point, certain systematic deviations are found. This fact suggests that a certain boundary or boundaries of different geological layers are inclined to the horizontal plane with certain dips and strikes.

In deducing the underground structure, we adopt the following guiding principles.

(1) As the first step, seismological data only are used for the interpretation of the crustal structure.

Geological or gravity data are taken into account only to check whether the interpretation is adequate or not.

(2) The proposed model must be as simple a one as possible, that means, a model with the least number of possible assumptions necessary to explain the observed data.

As a natural consequence, a constant velocity of the seismic wave is assumed at least as a first approximation in a certain specified layer.

Under these restrictions a few cases of observed anomalies remain unexplained. These cases are mainly due to the lack of sufficient data in the neighbourhood of the point in question.

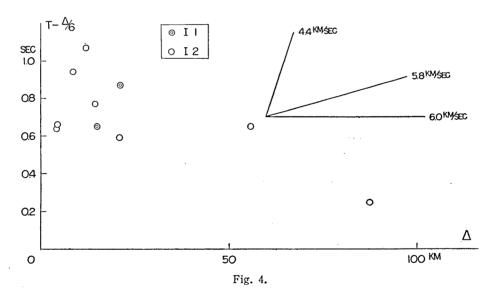
#### 7. Discussions on the mode of stratifications of various layers

We can distinguish 4 distinct layers  $P_1$ ,  $P_2$ ,  $P_3$  and  $P_4$  specified by velocities of the P waves, i.e. 2.51 km/sec for  $P_1$ , 5.75~5.85 km/sec for  $P_2$ , 6.1~6.2 km/sec for  $P_3$  and 7.5~8.0 km/sec for  $P_4$ .

We will discuss the form of each layer as precisely as possible on the basis of travel time curves which were also given both in tables and figures in R.A.R. Abreviations for profiles here used are the same as those given in that report. For instance, IE stands for the eastern profile of the Isibuti explosion.

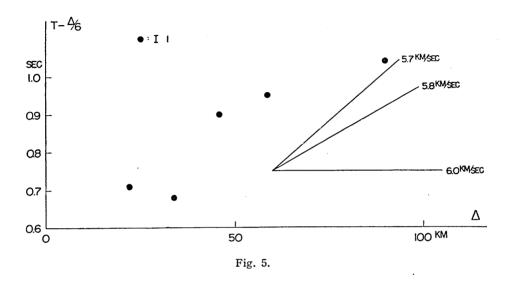
### 8. Remarks on travel times in each profile

(i) IE profile (Fig. 4). As stated in section 2, for  $\Delta < 2$  km travel times are almost exactly on a straight line, giving 2.51 km/sec. In the domain  $2.7 < \Delta < 12$  km they are on a straight line, showing an apparent velocity 4.4 km/sec, and for  $\Delta > 14$  km they are scattered around a



straight line, giving approximate velocity  $5.8\sim6.0$  km/sec. In the neighbourhood of  $\Delta=14$  km, i.e. between Dobasi station and Wakayanagi station, a gap of travel time, amounting to  $0.4\sim0.6$  sec, is seen, and the travel time belonging to the remoter branch, i.e.  $\Delta>14$  km, appears earlier.

(ii) IW profile (Fig. 5). Travel times are scattered around a straight line with the intercept time 0.1 sec, giving velocity  $5.5\sim5.8$  km/sec.



(iii) KW profile (Fig. 6). Travel times are scattered around a straight line with the intercept time 0.1 sec, giving velocity  $5.7 \sim 5.8$  km/sec.

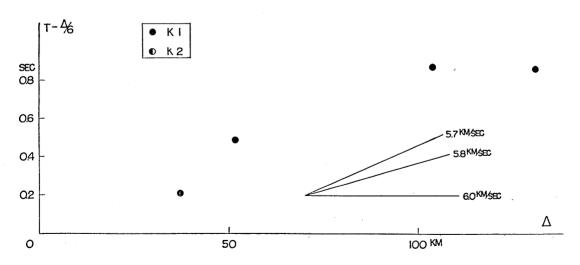
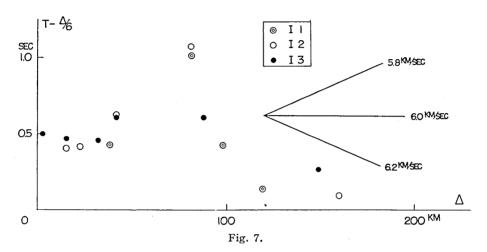
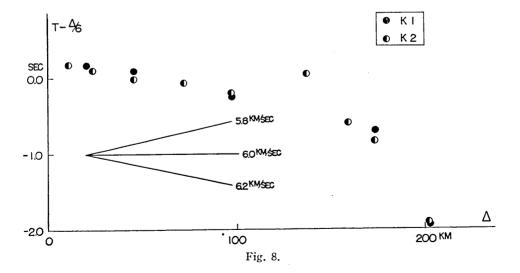


Fig. 6.

(iv) IS profile (Fig. 7). For  $\Delta < 40$  km travel times are on a straight line with the intercept time  $0.2 \sim 0.4$  sec, giving velocity  $5.7 \sim 6.0$  km/sec. For  $40 < \Delta < 150$  km, we can fit a straight line with intercept time 1.0~ 2.0 sec, giving velocity 6.1~6.3 km/sec. Travel times fluctuate rather remarkably, though the range of fluctuation is confined within 1 sec. It seems probable that crustal domains specified by these 3 velocities would have a stratified structure bounded by discontinuity surfaces.



(v) KS profile (Fig. 8). Within 20 km points are on a straight line with intercept time 0.1 sec, giving velocity 5.7~6.0 km/sec. For



 $20 < \Delta < 160$  km, points are scattered around a straight line with intercept time 0.5 sec, giving velocity  $6.1 \sim 6.3$  km/sec. From remoter places the velocity is estimated to  $7.5 \sim 8.0$  km/sec.

In this case also we can infer 3 layers with different velocities. Outlines of the crustal structure deduced from these results are summarized in R.A.R.

Now we proceed to the discussion of the form of each layer.

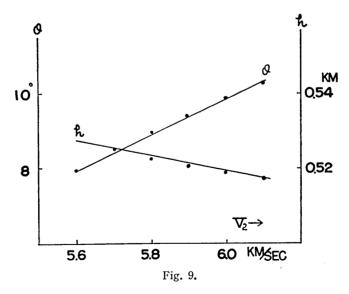
# 9. Form of the $P_1$ layer

(i) Discussion of travel times which give the velocity 4.42 km/sec (Refer to Fig. 9 in R.A.R.)

This velocity is found only in the IE profile and the travel time is given by a straight line  $T = \frac{\Delta}{4.42 + 0.38}$  (T in sec,  $\Delta$  in km).

If we assume existence of this layer, the crustal model near Isibuti should be as shown in Fig. 9 (A) in R.A.R. Inclination, thickness, etc. of this layer were so determined that they should give, additionally to the IE profile, travel times reconcilable to those both for the KW and IW profile.

If we discard existence of this layer, we must take a crustal model as shown in Fig. 9 (B) in R.A.R. Inclination  $\theta$  and depth under Isibuti are calculated as  $8^{\circ}\sim10^{\circ}$  and 530 m from travel times in the IE profile. In model (B) if we construct a graph for  $\theta$  and h, taking the velocity in



the lower layer  $V_2$  as abscissa, we obtain Fig. 9.

It should be remarked that h varies slowly with  $V_2$ .

On the other hand, the intercept time of the line giving velocity 5.8 km/sec in the IS profile is  $0.3 \sim 0.4 \text{ sec}$  as shown before.

Assuming that the form of the cross section is invariable in the NS direction both for the (A) and (B) models, we can calculate the intercept times for both models. That for model (A) should be 0.7 sec and 0.36 sec for model (B).

Thus we conclude that the velocity 4.42 km/sec is nothing but an apparent one and should be discarded.

Ultimately, we adopt 4 layers as shown in section 7.

# (ii) Form of the $P_1$ layer in the IE profile

Model (B) holds to a distance somewhere between Dobasi and Waka-yanagi, namely 14 km ca., because, as shown in section 8 (i), there is a discontinuity of the travel time. We suppose that the  $P_1$  layer ceases to exist there, say at a distance  $x_0$  from Isibuti (Fig. 10).

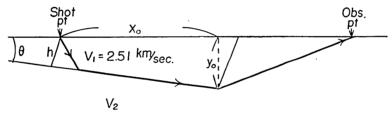


Fig. 10.

Beyond  $x_0$ , diffracted waves whose path is shown in Fig. 10, would be observed. Taking  $x_0$  and  $V_2$  as parameters, residues of travel times i.e.  $T_0 - T_c$  at some stations are tabulated in Table 4.

For Kamaisi, a remoter station, the path of the wave, which is ex-

$x_0$		13 k	m			14 k	m	
Station V <sub>2</sub>	5.60	5.70	5.80	5.90	5.60	5.70	5.80	5.90
Wakayanagi I	0.17	0.18	0.22	0.26	0.02	0.05	0.08	0.12
Wakayanagi II	0.04	0.08	0.12	0.16	-0.05	-0.02	0.01	0.05
Mizusawa	0.04	0.12	0.13	0.24	0.03	0.10	0.15	0.22
Setamai	0.26	-0.08	0.09	0.26	-0.28	-0.08	0.09	0.26

Table 4.

pected to arrive there at first, should lie in the  $P_3$  layer. In the above calculation we assume that the  $P_2$  layer is exposed to the surface beyond  $x_0$ . The effect of the weathered layer tends to make  $T_0$  late and the judgement of the onset time of the initial motion has also a retarding tendency. Therefore, if the model is a true one and the above mentioned two effects are the only causes of uncertainties, a negative value of  $T_0 - T_c$  is improbable.

After all, within our criterion of accuracy,  $x_0$  is 14 km with an uncertainty within 1 km and  $V_2$  is  $5.75 \sim 5.85$  km/sec. The residue at Mizusawa is  $0.10 \sim 0.20$  sec and somewhat large compared with other stations. Hence, at Mizusawa the  $P_2$  layer is probably covered by a certain thin surface layer. If it is the  $P_1$  layer, its thickness is estimated to  $300 \sim 500$  m.

# (iii) Form of the P<sub>1</sub> layer in the IW profile

If the  $P_2$  layer is exposed to the surface in the further west, the expected travel times are shown by full lines in Fig. 11, taking  $V_2$  as the parameter. Dots are observed points.

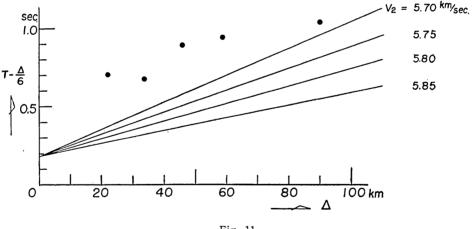


Fig. 11.

As apparent from the figure, observed travel times are systematically much later than the calculated values. Therefore, there should be a certain surface layer on the  $P_2$  layer. As for this surface layer, we have no sufficient data to estimate its velocity. The western extension of the  $P_1$  layer under Isibuti must end at 3 km from Isibuti, if we prolong its lower boundary to the west. Hence, there is no gua-

rantee for taking this layer to be the same one as the  $P_1$  layer.

If we assume the existence of the  $P_1$  layer in the western extension, its thickness can be calculated. Taking  $V_2$  as the parameter, retardation  $\delta T$  of the travel time due to this layer, and the corresponding thicknes of the layer, Z, are tabulated in Table 5.

		δ	T			Z		
Station V <sub>2</sub>	5.75	5.80	5.85	5.90	5.75	5.80	5.85	5.90
Katurazawa	0.36	0.40	0.43	0.47	1.0	1.1	1.2	1.3
Yuzawa	0.25	0.31	0.36	0.41	0.70	0.86	1.0	1.1
Innai	0.38	0.46	0.53	0.60	1.1	1.3	1.5	1.7
Mamurogawa	0.34	0.43	0.52	0.61	0.95	1.2	1.4	1.7
Sinasawa	0.20	0.34	0.48	0.62	0.56	0.94	1.3	1.7

Table 5.

Comparing  $\delta T$  with the plot in Fig. 11, we see that 5.80 km/sec for  $V_2$  is most compatible.

# (iv) Form of the P<sub>1</sub> layer in the KW profile

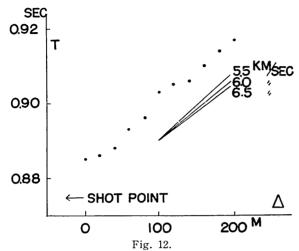
As stated before, we can assume practically that the  $P_2$  layer is exposed to the surface near Kamaisi shot point. Under this assumption, the calculated value  $T_0 - T_c$  is tabulated in Table 6.

	Table	0.			
Station $V_2$	5.75	5.80	5.85	5.90	
Umanokiuti	0.06	0.07	0.07	0.08	
Ide	-0.6	0.01	0.05	0.11	
Mizusawa	0.11	0.19	0.27	0.35	

Table 6

There remains some possibility that the initial pulse observed at Ide or Mizusawa might pass through the  $P_2$  layer. We cannot ascertain this point at present, because the accuracy of determination of the  $P_3$ layer is not sufficient for this purpose.

Here a remark should be added to the travel time at Umanokiuti. At this station we aimed mainly at the observation of reflected waves, and 11 pick-ups were arranged on a nearly straight line. The shot time was marked with the direct connection to the shot point, and the time mark was put at intervals of 1/100 sec. Travel times at these 11 points are plotted in Fig. 12.



The apparent velocity deduced from this travel time curve is nearly the same as  $V_2$ . The travel time and epicentral distance adopted for calculating Table 6 are mean values of these 11 points.

The residue,  $T_0 - T_c$  = 7/100 sec, reveals the existence of a certain superficial layer, but we have no data for determining its velocity.

# (v) Summary of the study of the form of the $P_1$ layer in the E-W profile

Summarizing the results obtained from the IE, IW and KW profiles, we obtain a probable profile of the  $P_1$  layer in the E-W vertical section as shown in Fig. 29.

#### (vi) Some considerations on late phases

At some stations we can distinguish a distinct late phase corresponding to P waves passing exclusively through the  $P_1$  layer. The observed and calculated travel times are shown in Table 7.

 $T_0$  $T_c$ Station Profile sec km sec Umadome 4.40 1.74 1.57 ΙE Dobasi 12.09 4.704.64 Kawatabi 41.9 16.8 16.51 IS

Table 7.

 $T_{\rm o}$  is always a little larger than  $T_{\rm c}$ . This is probably due to the missing of the very commencement of the said phase in reading the seismogram. In the IE profile we cannot find a corresponding phase at stations beyond Dobasi. In the IW profile we cannot find it anywhere.

These facts are quite compatible with our cross section in the E-W profile. In the IS profile, the corresponding late phase is not distinctly discernible beyond Kawatabi. It may be too hasty, however, to deny the existence of the  $P_1$  layer in the southern extention, because we do not know the exact form of the P<sub>1</sub> layer in the KW profile in the southern part.

# Form of the lower boundary of the P<sub>2</sub> layer

Our process of analysis was briefly given in R.A.R. We will proceed to detailed discussions.

# (i) Travel time for an inclined layer boundary

As stated in section 8, as for  $V_3$  (6.1~6.3 km/sec) waves, the intercept time for the Isibuti shots is considerably larger than that for the Kamaisi shots, and the epicentral distance of the intersection with the V<sub>2</sub> curve is also larger for Isibuti shots than for Kamaisi shots. These facts reveal that the depth of the lower boundary of the  $P_2$  layer may be deeper under Isibuti than under Kamaisi, i.e. the boundary is inclined with a certain dip and strike. The relation between shot point O, station P, dip  $\theta$ , strike  $\theta_0$ , azimuth of OP,  $\theta$ , etc. is shown in Fig. 10 in R.A.R.<sup>3)</sup>  $\theta_0$  and  $\theta$  are measured from the north over the east.

The travel time for waves passing through the lower layer is given by

$$T{=}rac{2h\cos i}{V_{\scriptscriptstyle 2}}{+}rac{arDelta\sin\left(i{+} heta'
ight)}{V_{\scriptscriptstyle 2}}$$
 ,

where

$$\sin i = V_2/V_3$$
 and  $\sin \theta' = \sin \theta \cdot \sin (\theta - \theta_0)$ .

 $\theta'$  is the apparent dip of the boundary in the direction OP, i.e. in the plane including OP and perpendicular to the boundary.

If  $\theta$  is small and small terms higher than  $\theta^2$  are neglected, we obtain

$$T = rac{2h\cos i}{V_{\scriptscriptstyle 2}} + rac{arDelta}{V_{\scriptscriptstyle 3}} + aarDelta\sin\left( heta - heta_{\scriptscriptstyle 0}
ight)$$
 ,

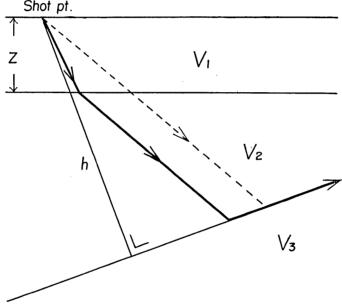
where

$$a=\theta/V_3 \tan i$$
.

<sup>3)</sup> In the text of R.A.R.,  $H_0$  and H are written for  $\Theta_0$  and  $\Theta_1$ .

The third term on the right hand side represents the effect of the dip of the boundary. When  $\theta$  has small fluctuations around  $\theta_0$ , corresponding fluctuations appear in the travel time T, or  $T-(\Delta/V_3)$ .

When the  $P_2$  layer is covered by a thin superficial layer  $P_1$  the following reduction  $\delta T$  for the travel time is necessary in order to apply the above equation directly. Referring to Fig. 13,



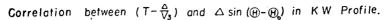
$$rac{\delta T}{Z} \!=\! rac{ an{(i_2+ heta')}\!-\! an{i_1}}{\cos{i_2}} \! \left\{\! rac{\cos{(i_2\!+\! heta')}}{V_3} \!+\! rac{\sin{ heta'}}{V_2} 
ight\} \!+\! rac{1}{V_1\cos{i_1}} \!-\! rac{1}{V_2\cos{(i_2\!+\! heta')}} \,,$$

where

$$\sin i_1 = V_1/V_2$$
,  $\sin i_2 = V_2/V_3$ ,  $\sin \theta' = \sin \theta \cdot \sin (\Theta - \Theta_0)$ .

(ii) Comparison of the fluctuation of the travel time with  $\Delta \sin(\Theta - \Theta_0)$  Taking  $V_3$  and  $\Theta_0$  as parameters, we get graphs for  $\Delta \sim T - (\Delta/V_3)$  and  $\Delta \sim \Delta \sin(\Theta - \Theta_0)$  in each profile. Figs. 14, 15, and 16.

In these figs, stations, where the first wave does not pass probably through the  $P_3$  layer, are omitted. In the KW profile, the reduction for the superficial layer is applied. In other profiles, it is omitted, as the true superficial layer is not known for certain.



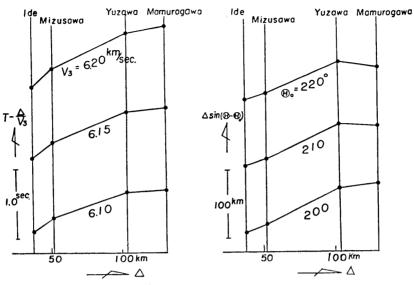


Fig. 14.

# Correlation between (T- $\frac{\Delta}{V_3}$ ) and $\Delta \sin(\Re -\Re)$ in KS Profile.

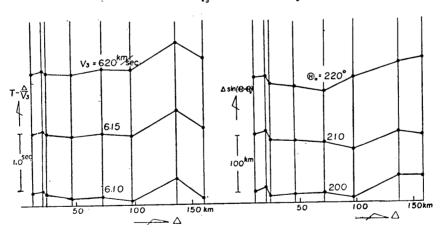
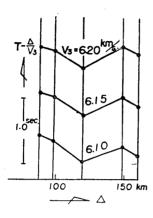


Fig. 15.

In these figs. we can find remarkable correlations between  $T-(\Delta/V_3)$  and  $\Delta \sin{(\theta-\theta_0)}$ . In other words, we can conclude that the boundary between layer  $P_2$  and layer  $P_3$  in each profile is an inclined plane. In the next place, we must discuss, whether the dip, strike, and  $V_3$  are

Correlation between  $(T - \frac{\Delta}{V_3})$  and  $\Delta \sin(\Theta - \Theta)$  in IS Profile.



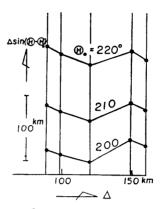
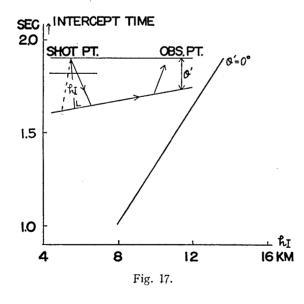


Fig. 16.

common to all profiles or not.

It is not appropriate to apply the method of least squares unconditionally to the result shown in Figs. 14, 15 and 16, because there are many individual uncertainties inherent in each profile, such as effects due to superficial layers etc. After all, we must resort to the method of trial and error for various models and determine the limit of allowance for values of various parameters.

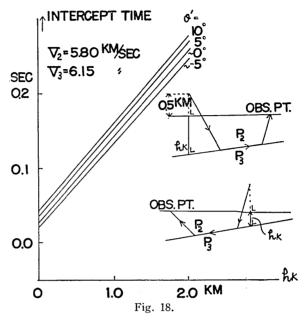


# (iii) On the intercept time

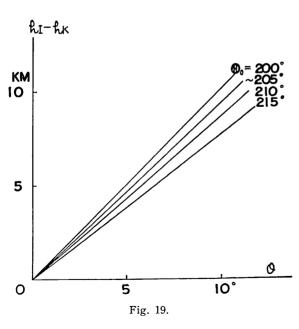
In (i) the effect of a local superficial layer, say the  $P_1$  layer, is omitted. Therefore, the intercept time was constant for all azimuths. As stated in section 9, under the shot point at Isibuti there is a surface layer  $P_1$ . This fact must be taken into account. For the IE profile, the path through the  $P_3$  layer and the relation between the intercept time and  $h_1$ , i.e.

the depth of the  $P_2P_3$ boundary under Isibuti are shown in Fig. 17. Here  $\theta'$  is taken as the parameter.

As for the IS profile, the effect of the  $P_1$  layer is practically invariable for all stations, because the range of the fluctuation of  $\Theta$  is not large. the Kamaisi shot point we must take the height of the shot point (500 m)into account. When the shot point has a height above the reference surface, the relation



between the intercept time and  $h_k$ , i.e. depth of the layer boundary below the mean sea level under the Kamaisi shot point is shown in Fig. 18, taking  $\theta'$  as the parameter.



From observed travel times, the intercept time for the Isibuti shot is estimated at  $1.0 \sim 1.6$  sec. and that for the Kamaisi shot at  $0.1 \sim 0.03 \text{ sec.}$ From these values we get the range of allowance of the values  $h_1$  and  $h_k$ . If the boundary is on one plane, taking  $\Theta_0$  as the parameter,  $h_1 - h_k$  can be calculated geometrically for  $\theta$ . The result is shown in Fig. 19.

Within the limit of allowance of  $h_1 - h_k$  and  $\Theta_0$ , the corresponding limit of allowance of  $\theta$  is within  $4^{\circ} \sim 11^{\circ}$ .

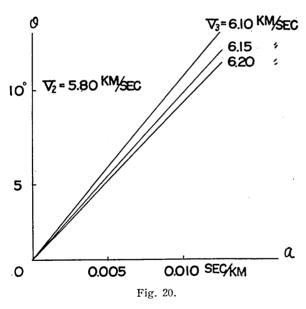
# (iv) In the KW profile

In the KW profile thickness of the surface layer at each stations was calculated in section 9. Therefore,  $\delta T$  due to this layer can be calculated, as shown in (i). For instance, taking  $V_3=6.20 \, \mathrm{km/sec}$ ,  $\delta T$  for various tentative  $V_2$  is given in Table 8.

Table 8.

$V_2$ Station	Mizusawa	Yuzawa	Mamurogawa
5.75 km/sec	0.10 sec	0.21 sec	0.28 sec
5.80	0.12	0.26	0.36
5.85	0.17	0.30	0.42

Applying these corrections and using the formula given in section 10 (i), one of 5 parameters  $h_k$ ,  $\Theta_0$ ,  $\theta$ ,  $V_3$ ,  $V_2$  can be calculated, if any four



of them are given. It is simplest to calculate  $\theta$  as an unknown. Taking  $V_2 = 5.80$  km/sec and  $V_3$  as the parameter, the relation between  $\theta$  and a is shown in Fig. 20.

Taking the limit of error for the determination of the incident time of the initial phase as 0.1 sec and adopting  $\theta_0$ =210°,  $h_k$ =1.0 km,  $V_2$ =5.80 km/sec and  $V_3$ =6.15 km/sec, the limit of allowance of  $\theta$  at each station is given in Fig. 21.

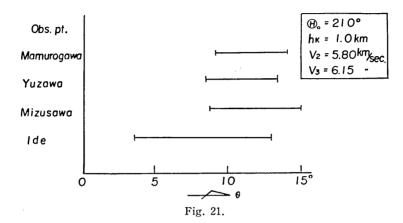
We see that the com-

mon range for all stations lies around 10°.

# (v) In the IS profile

In the IS profile the exact form of the  $P_1$  layer is not certain. If we calculate the value of  $\theta$  on the basis of observed T, and if the  $P_1$ 

Values of θ Obtained by the Observations
in KW Line



layer is absent, it comes out too large compared with that for the existence of the  $P_1$  layer, because  $T_0$  is larger for the existence of the  $P_1$  layer than for its absence.

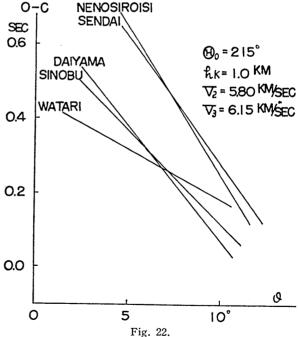
For instance, taking  $\theta_0$ =215°,  $h_k$ =1.0 km,  $V_2$ =5.80 km/sec and  $V_3$ =6.15 km/sec,  $T_0$ - $T_c$  and  $\theta$  relation is shown in Fig. 22.

From the above reasoning,  $T_0-T_c$  is expected 0.4 to be positive within the limit of accuracy 0.1 sec.

# (vi) In the IE profile

In this profile only Kamaisi station comes in the scope of our discussion, concerning the  $P_3$  layer. Then two cases are taken into consideration.

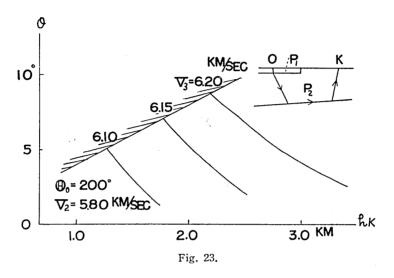
(a) Kamaisi station is situated on the  $P_2$  layer.



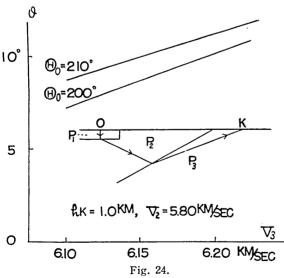
(b) It lies directly on the  $P_3$  layer or at least the shallowest posi-

tion of the layer is situated at some distance in the west and its depth is small.

For case (a) one example of the relation between  $\theta$  and  $h_k$  is given in Fig. 23.



In the upper hatched domain P waves through  $P_3$  layer cannot reach Kamaisi station. The calculated  $\theta$  turns out too small, judging



from other data, and untenable.

For (b)  $\theta$  and  $V_3$  relation is shown in Fig. 24.

The domain of  $\theta$  for existence of case (b) is above 3.5°.

It is remarked that the incident time of the first phase at Kamaisi is read 14.84 sec in this investigation instead of 15.33 sec in the 1.2<sup>4)</sup> report. The latter value is interpreted as a late phase.

<sup>4)</sup> Research group for explosion seismology, B.E.R.I., 30 (1953), 279.

## (vii) In the KS profile

In this profile, all stations are nearly on azimuth  $\theta = 200^{\circ}$ , and moreover even at nearby stations waves through the  $P_3$  layer appear. Therefore, the variation of  $\theta$  does not affect much other parameters. Putting  $\theta_0 = 200^{\circ}$ ,  $\theta = 10^{\circ}$  and  $V_2 = 5.80$  km/sec,  $h_k$  calculated from various stations with  $V_3$  as parameter is tabulated in Table 9.

Table 9.

Station V <sub>3</sub>	Nakasone	Setamai	Sakari	Kesen- numa	Sizu- gawa	Ona- gawa	Mukai- yama	Huna- oka
6.15	2.3	2.1	2.8	2.3	2.7	2.9	3,5	3.5
6.20	2.4	1.9	1.9	2.0	2.9	2.1	4.9	2.7

In this calculation, the effect of a superficial layer on the travel time is not taken into account. Hence, the real  $h_k$  cannot be larger than the above shown value, namely it must be smaller than 2.0 km.

In (iii) we put an upper limit to  $\theta$  from the intercept time. Here we can also put a limit to  $\theta$  from  $h_k$  and  $h_1$ .

(viii) Summary on the form of the boundary between the P<sub>2</sub> layer and  $P_3$  layer.

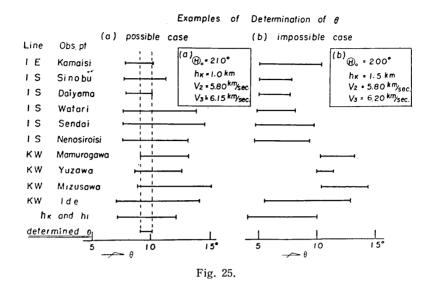
Summarizing the above discussions we can put limits to the range of variation for  $\theta_0$ ,  $\theta$ ,  $h_k$ ,  $V_2$  and  $V_3$ , so that the error of travel time does not exceed 0.1 sec. Table 10.

Table 10.

Paran	neter	Range of allowance		
strike	$\Theta_0$	200°~210°		
Dip	$\theta$	6°~11° (downward to the west)		
Depth at Ka	maisi $h_k$	0.75∼1.5 km		
Velocity in layer $P_2$ , $V_2$		5.75~5.85 km		
" $P_3$ , $V_3$		6.10∼6.20 km		

It must be remarked that we do not say that any combination of these five quantities within the given limits is allowable. For instance, we will give an example of the allowable range for  $\theta$ , giving certain definite values to other parameters (Fig. 25).

In case (a) we can choose a common range of  $\theta$ ,  $9^{\circ} \sim 10^{\circ}$ , compatible

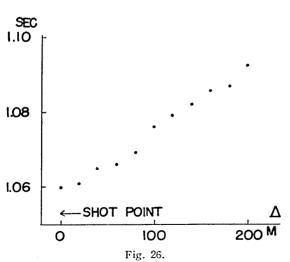


for all stations. In case (b) we cannot choose such a common range, and thus such a combination should be rejected.

After all, the range of allowance given in Table 10 is the broadest one within which the compatible range of each parameter falls for some choice of other parameters within their above given range.

### (ix) Consideration from reflected waves

In profile KW seismograms with 11 elements were obtained at



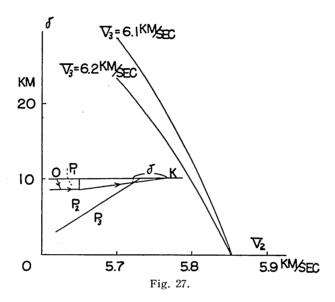
Umanokiuti for the purpose of obtaining reflected waves. On the record very distinct reflected waves can be seen about 0.1 sec after each initial phase. The travel time is given in Fig. 26.

If we take these phases for waves reflected at the  $P_2P_3$  boundary,  $h_k$  turns out  $0.3\sim0.7$  km.

(x) Consideration from late phases

The most distinctly ob-

served late phase due to waves through P<sub>2</sub> layer in the IE profile is that at Kamaisi. As stated in (vi) this phase was taken for the initial phase in I.2 report<sup>5)</sup>. The path for this phase is expected to be as shown in Fig. 27.



Length  $\delta$  of a part of this path, i.e. the part in  $P_3$  layer, can be calculated from its travel time. Taking  $V_3$  as a parameter, the relation between  $\delta$  and  $V_2$  is shown in Fig. 27. As apparent from the figure, about 10 km is probable.

In other profiles, late phases expected to be due to waves through P<sub>2</sub> layer are observed at Sendai, Daiyama, and Sinobu for Isibuti explosions and at Sizugawa, Onagawa, Mukaiyama, Hunaoka, Kaneyama, and Kawamata for Kamaisi explosions. These facts will serve as other confirmatory evidences for the existence of the  $P_2$  layer at least under these regions.

# (xi) The $P_4$ layer

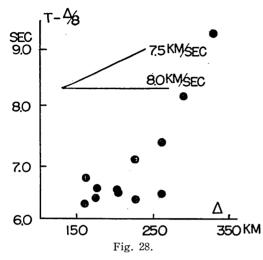
As stated in section 6, travel times corresponding to velocity 7.5~ 8.0 km/sec are distinguished at stations beyond 160~170 km on both IS and KS profiles. A graph for  $T-(\Delta/8)$  and  $\Delta$  is shown in Fig. 28.

The intercept time is about  $5\sim6$  sec. This fact reveals the existence of a layer, say  $P_1$ , under the  $P_3$  layer. This layer may correspond

<sup>5)</sup> *l. c.* (4)

probably to the so-called  $P_n$  layer, because of the velocity.

Travel times are not on a straight line, but fluctuate around it.



The exact form of the upper boundary of the  $P_4$  layer cannot be discussed as precisely as was done in section (vi), because at stations beyond  $\Delta = 150 \text{ km}$  the initial motion was sometimes obscure and a few readings were not accurate enough for the Therefore, purpose. in this stage it may be wise not to make the attempt. As a rough approximation we assume a horizontal boundary and calculate its depth for some allowable values of  $V_2$ ,  $V_3$  and  $V_4$ , using

the intercept time and neglecting the existence of the  $P_1$  layer, as its effect is negligible in this case (Table 11).

Profile	$V_3$	$V_3$	$V_4$	depth of layer $P_4$
IS	5.8	6.2	8.0	24
KS	5.8	6.2	8.0	24
IS	5.8	6.1	7.5	21
KS	5.8	6.1	7.5	22
IS	5.8	6.1	8.0	20
KS	5.8	6.1	8.0	23

Table 11.

Thus, probable ranges of the apparent depth of the layer and the apparent velocity in it can be taken as  $20\sim25\,\mathrm{km}$  and  $7.5\sim8.0\,\mathrm{km/sec}$  respectively.

### (xii) Consideration from reflected waves

In the case of the K.2 explosion a reflected phase with travel time 7.33 sec was observed at Umanokiuti. As stated in 10 (ix), the depth of the  $P_2P_3$  boundary under this station is very small. Thus, it is very probable that these reflected waves are due to the  $P_3P_4$  boundary. Using

the relation  $TV_3/2 = \sqrt{\Delta^2/4 + h^2}$ , where T is the travel time,  $V_3$  the velocity in layer  $P_3$ ,  $\Delta$  the epicentral distance of Umanokiuti and h the depth of the boundary, we get  $h=22\sim23\,\mathrm{km}$ . This value is not affected much by the surface correction, and nearly equal to the value obtain in (xi).

#### 11. Summary on the Crustal structure of this area

Summarizing the above discussions, we obtain a broad aspect of crustal structure of this area. This has already been given in R.A.R., however, we repeat it here again.

The crustal structure of this region consists of the following 4 layers.

Layer	$P_{\scriptscriptstyle 1}$	velocity	$2.51 \; \mathrm{km/sec}$	
	$P_{\scriptscriptstyle 2}$		$5.75\sim5.85 \text{ km/sec}$	
	$P_{\scriptscriptstyle 3}$		$6.1 \sim 6.2$	
	$P_{\scriptscriptstyle 4}$		$7.5 \sim 8.0$	

Pattern of stratification of each layer is as follows.

- (1) The P1 layer is about 530 m deep near Isibuti and inclined at 9° ca. toward the east.
- (2) The  $P_1$  layer ends abruptly at a point 14 km east from Isibuti. In the further east near Mizusawa and Umanokiuti a thin surface layer is found.

## SCHEMATIC IIIUSTRATION OF CRUSTAL STRUCTURE IN THE AREA

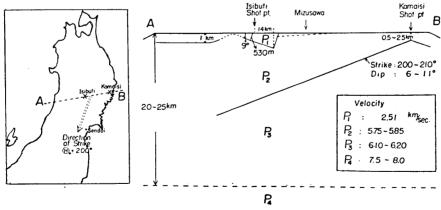


Fig. 29.

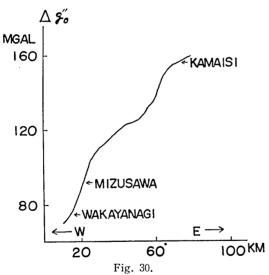
- (3) In the west near Isibuti the  $P_1$  layer is very thin or lacking. Further west, however, it again takes a depth of about 1 km.
  - (4) Near the Kamaisi shot point the  $P_1$  layer is not found.
- (5) South of the Isibuti shot point the  $P_1$  layer is found, but its exact form is not known.
- (6) The boundary between the  $P_2$  and  $P_3$  layers is probably a plane with strike  $200^{\circ} \sim 210^{\circ}$ , and dip  $6^{\circ} \sim 11$  downward to the west.
- (7) The depth of the  $P_i$  layers turns out to be  $20\sim25$  km, if it is taken as horizontal.

A general view of the east-west cross section is given in Fig. 29. Observations of four smaller blasts were made at the east edge of the area studied. A brief sketch of the results was given also in R.A. R., but the details are described in a separate paper.

# 12. Comparison with gravimetry and surface geology

# (i) From gravimetry

From the Bouguer anomaly of the gravity given by C. Tsuboi7, A.



Jitsukawa, and H. Tajima, Fig. 30, giving those between Isibuti and Kamaisi, is obtained.

On the other hand, assuming the density difference  $\Delta \rho$  between  $P_2$  and  $P_3$  layer as 0.05 $\sim$ 0.15, the Bouguer anomaly expected from our subterranean structure is shown in Fig. 31.

Comparing these figures, we see that the observed anomaly can be at least partly explained by our model.

A line connecting the steepest horizontal gradient of Bouguer anomaly in the Tôhoku District, namely Morioka-Sirakawa line of C. Tsuboi

<sup>6)</sup> Research group for explosion seismology, Bull. Earthq. Res. Inst., 37 (1959).

<sup>7)</sup> C. TSUBOI, A. JITSUKAWA and H. TAJIMA, Bull. Earthq. Res. Inst., Suppl. Vol. 4 (1956), 311-406.

et al., has also nearly the same azimuth as the strike of the  $P_2P_3$  boundary as stated in section 11 (6).

#### (ii) Fromsurfacegeology

Geological structure the east-west cross section passing Isibuti and Kamaisi inferred from the surface geology is schematically given in Fig. 32.

In the neighbourhood of Isibuti shot point a tertiary layer extends

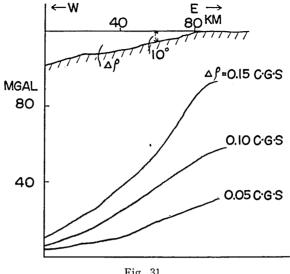


Fig. 31.

eastward, but it is lacking at Mizusawa. Along the back bone mountain range it is very thin and further west it increases again in depth.

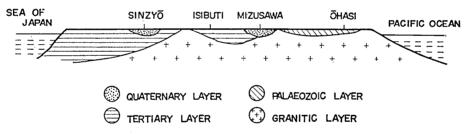


Fig. 32.

The Kitakami mountain range is covered from place to place with thin palaeozoic strata, but its main body is supposed to consist of granitic rocks. Patches of granitic rocks are found on the back bone range and they are supposed to be akin to those in the Kitakami range.

Basins at Mizusawa and Sinzyô are covered by a quarternary layer. Comparing these geological data with our model, it seems very probable that our  $P_1$  layer corresponds to the tertiary layer and  $P_2$  layer to the granitic base.

Further comparison in some detail will be given below.

(i) Palaeozonic strata on the Kitakami mountain range are omitted in our model. It means their trivial thickness.

- (ii) Abrupt disappearance of the  $P_1$  layer at 14 km east from the Isibuti shot point may correspond to a NS fault line shown on a geological map, though its exact position is shifted somewhat eastward.
- (iii) As for the  $P_3$  layer, we nave no direct geological evidence in this area. However, patches of ultrabasic rocks are exposed from place to place on the Kitakami range, but they are scarcely found westward from Mizusawa. This fact makes us suppose that their source should be shallower in the east. This parent rock may probably correspond to our  $P_3$  layer.

After all, our model does not contradict the geological knowledge in this area, and we may say that the correspondence is rather good.

#### 13. Acknowledgement

At every set of observations, which constitute the basis of our present discussions, we got kind cooperation of inestimable value from many institutions, organizations, and authorities, for which we are much obliged. They were mentioned in each case in our previous publications, so that we may be allowed not to repeat them here.

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